



# UNIVERSITÀ DI PAVIA

Anno Accademico 2015/2016

## LOGIC - A

<b>Enrollment year</b>	2015/2016
<b>Academic year</b>	2015/2016
<b>Regulations</b>	DM270
<b>Academic discipline</b>	M-FIL/02 (LOGIC AND PHILOSOPHY OF SCIENCE)
<b>Department</b>	DEPARTMENT OF HUMANITIES
<b>Course</b>	THEORETICAL AND APPLIED LINGUISTICS; LINGUISTICS AND MODERN LANGUAGES
<b>Curriculum</b>	PERCORSO COMUNE
<b>Year of study</b>	1°
<b>Period</b>	1st semester (21/09/2015 - 23/12/2015)
<b>ECTS</b>	6
<b>Lesson hours</b>	36 lesson hours
<b>Language</b>	ITALIAN
<b>Activity type</b>	ORAL TEST
<b>Teacher</b>	MINARI PIERLUIGI (titolare) - 9 ECTS
<b>Prerequisites</b>	- Module A: no prerequisites - Module B: module A (or corresponding knowledges)
<b>Learning outcomes</b>	<p>Aim of the course is introducing students to (i) basic tools and techniques for the verification</p> <p>of the correctness of logical inferences (truth tables, refutation trees, natural deduction for</p> <p>first order logic FOL), (ii) the main notions of logical semantics (model, truth in a model,</p> <p>logical consequence), (iii) some key metalogical results (completeness theorem for FOL, with</p>

applications), (iv) non classical (in particular: modal and intuitionistic) logic and Kripke

semantics; (v) the basic notions of computability theory (Turing machines).

### Course contents

(A.i) Logical truth, logical consequence, consistency: intuitive notions.

(A.ii) Logical form.

(A.iii) Propositional and predicate logic: basics (classical connectives and truth-tables; informal

semantics of quantification).

(A.iv) Propositional and predicate logic: refutation trees. Labelled trees; refutation trees;

counterexample extraction. Elementarily valid formulas and inferences.

(A.v) Classes, relations, functions, cardinality; Cantor's theorems.

(A.vi) Traditional logic (categorical propositions; traditional square of oppositions; syllogisms).

(B.i) Computability: basics (informal notions of algorithm, decidability, effective enumerability,

computability; Turing machines).

(B.ii) Elementary languages and model-theoretic semantics (inductive definitions and proofs by

induction; elementary languages; correspondence theory of truth; semantic paradoxes. Tarskian

semantics: structures and interpretations; satisfiability; logical consequence).

(B.iii) Syntax of elementary logic (informal notion of deduction; "Frege-Russell-Hilbert" vs

"Gentzen" paradigms; axiomatic calculi; Gentzen's natural deduction calculus NK).

(B.iv) Completeness theorem for FOL. Compactness and Löwenheim-Skolem theorems.

Applications.

(B.v) Modal logic and Intuitionistic logic. Kripke semantics.

### Teaching methods

Lectures

<b>Reccomended or required readings</b>	<ul style="list-style-type: none"> <li>- A. Cantini, P. Minari, Introduzione alla Logica. Mondadori Education 2009.</li> <li>- D. van Dalen, Logic and Structure. 5th ed., Springer 2013.</li> <li>- Lecture notes (online)</li> </ul>
<b>Assessment methods</b>	Oral Examination
<b>Further information</b>	Oral Examination
<b>Sustainable development goals - Agenda 2030</b>	<a href="#">\$lbl legenda sviluppo sostenibile</a>